

PREFACE



This summary notes doesn't guarantee passing the exam.
IT IS ONLY MEANT TO CONDENSE THE HUGE CONTENT OF ICMAI.

One needs to have a visualisation of connected questions with every concept studied here.

THE VISUALS COME ONLY WHEN YOU HAVE PRACTICED THE CONNECTED SUMS AT LEAST 3 TIMES AFTER UNDERSTANDING THE LOGIC BEHIND THE CONCEPTS.

For effortless understanding of logic and practice of sums once, Join full classes of SFM with Satish Sir.

Exclusively taught as per **CMA Final Course.**
ICMAI Material Covered with all practicals and theories.

YOU WILL FALL IN LOVE FOR FINANCE, FOR SURE

"I believe in - showing students how to cook rather than to give the food. Specially, I have also given sessions for preparing summary notes, where I am showing the process of how to summarise the big chapters. This would help you in all other subjects." - **Satish Sir**



Reviews of our regular classes of SFM

The books were great with regards to the content and coverage that has been provided. I really liked the numerous variation of sums that were provided to us in the entire course. I really loved the flow of the classes and the content was very well covered.

Thanking You.
Dipti Saraf

The content in the book is very good and well organized, there is extra space for page numbers and what is new is very useful and saves time for study, also the quality of the book is very good including the quality of paper and binding of the book.

Anjali Kumari Shaw

Capital Budgeting



Capital Budgeting

Methods

Special Cases

Methods

Profit Based Approach

Cash Flow Based Approach

↓
Average Rate of Return
(ARR)



without time
value of money

with time
value of money

↓
Pay Back Period Method

- DPBP
- NPV
- PI
- Adj NPV
- IRR
- Multiple IRR
- Modified IRR
- Modified NPV



Cash Flow Approaches

Initial CF

at t_0

- II in FC *
 - II in WC ✓
 - (-) Subsidy (✓)
-
-

Intermittent CF

t_1 to t_{n-1}

- Sales ✓
- (-) VC ✓
- FC ✓
- Depn ✓
- PBT ✓
- (-) Tax (✓)
- PAT ✓
- (+) Depn ✓
- CFAT ✓
- (-) Add FC (✓)
- Or WC
- Net CFAT ✓

ignore
cost

Terminal CF

t_n

- CFAT ✓
 - (+) Salvage ✓
 - (-) CG tax or (✓)
 - (+) MC tax shield ✓
 - (+) WC Recov ✓
-
-

* Agar loan lekar fixed assets liya hai toh, loan ka instalment intermittent CF banke ayege, II mein kuch nahi ayege.

<u>Method Name</u>	<u>Calculn</u>	<u>Decision Making</u>	<u>Adv</u>	<u>Disadv</u>
1) <u>ARR</u> = Avg ROI	$\frac{\text{Avg Return}}{\text{Avg Inv}}$ or $\frac{\text{Avg Return}}{I \cdot Inv}$ $\text{Avg Return} = \frac{\sum PAI}{n}$ $\text{Avg Inv} = \frac{II + SV}{2}$ or $[\&1] \frac{\sum \text{Avg Inv}}{n}$	$\text{ARR} > \text{cutoff} = \text{Accept}$ $\text{ARR} < \text{cutoff} = \text{Reject}$ $\text{ARR} = \text{Cutoff} = \text{Indiff}$	1. A/cing concept 2. Easy 3. Popular ROI	1. Meaning of Pfl. is diff 2. Ignores time value 3. Avg inv has diff approaches
2) <u>PBP</u>	$\frac{\text{Equal CF}}{= II}$ C I F A T p.a <u>unequal CF</u> Yr before the yr when CF crossed the initial inv + Time taken in the	$\text{PBP} < \text{cut off period} = \text{Accept}$ $\text{PBP} > \text{cut off period} = \text{Reject}$ $\text{PBP} = \text{cut off} = \text{Indiff}$	CF based Easy to calculate & understand	Ignores CF after PBP Ignores time value of money

Yr where CF
Crossed the II
to cover the
remaining am

Multiple Projects
Earlier PBP
is better.

N1 P.B. Reciprocal

$$PBR = \frac{1}{PBP}$$

(how much %
is recovered each
Yr)

N2 P.B. Profitability

= Post P.B. CF
= Total CF - II
Over life

3) DPBP

S1: PV of CFAT
S2: Cum PV of CFAT

S3: DPBP

= PY of Yr where
II is recovered
+
Time reqd for
remaining inv.

Same as
PBP

Same
as
PBP
+
Time
value
considered

CF after
DPBP
not
considered

4) NPV

PV of CFAT - II
Over life

NPV

Positive = Accept

Negative = Reject

\geq = IID

• Time Value

• CF

• Whole Life

• Wealth Maxim (absolute amt)

Not for Company

• diff size

• diff life

• diff CF

• timing
Not for Cap ration

5) PI

PV of CFAT
II

• When Cap. available is limited.

• CF per rupee invested

$\frac{PI}{>1}$

Accept

<1

Reject

$=1$

IID

Same as NPV

+

Helps in Cap rationing when Cap is Ltd.

+

Size disparity can be compared

• Not for Company

• diff life

• diff CF timing

• Not in absolute amt

6) Adj NPV

when both debt & Equity are used to finance the project

S1. Base Case NPV

↓
assume project financed by equity only.

- NPV @ k_e
- Ignore given Debt/Equity ratio

S2: PV of Tax Savings due to debt financing

(a) Tax Savings on Int pa = $D \times I \times t$

(b) PV of tax Savings on Int (using pre tax kd)

S3 Flotation Cost

Adj NPV

$$= S1 + S2(b) - S3$$

Same as NPV

for Project financed with Debt & Equity

Same as NPV

↓
it is showing breakup of benefit from debt

+

Same as NPV

7) IRR

$$II = \frac{CF_1}{(1+r)^1} + \frac{CF_2}{(1+r)^2} + \dots$$

$$r = IRR$$

Guesses using —

1. TIF over life
2. Extra IF over II
3. Extra IF/yr
4. % of Extra IF/yr
5. $r = 1.5$ times of above

Let $r =$ such that one is higher & another is lower than above guess.

Interpolation

- PV \geq II \Rightarrow low r
- PV $<$ II \Rightarrow High r

IRR

$$\text{Low } r' + \frac{\text{Diff in rate}}{\text{Diff in PV}} \times (\text{High PV} - \text{II})$$

IRR $>$ COC
= Accept

IRR $<$ COC
= Reject

IRR = COC
= IAD

• CF based

• TV based

• Easy to understand

• Complex

• Conflict with NPV

• Multiple IRR

• Return CF @ IRR

8) Multiple IRR

When addtion occurs after start of the project

Eg

$$10000 > \frac{18000}{1+r} - \frac{6000}{(1+r)^2}$$

Solve using quadratic

↓
not solvable by us. (Q13)

$COC < IRR_1$
= Accept

$COC > IRR_2$
= Reject

COC is b/w IRR_1 & IRR_2
= I Diff

Unable to decide when COC is b/w IRR_1 & IRR_2

↓
Modified IRR

Multiple IRR may also show negative IRR

9) Modified IRR

CF generated remains reinvested @ COC rate

SI FV of CF using COC rate or

$MIRR > COC$
= Accept

No Multiple IRR

Negative

S2 Modified IRR ^{reinv rate}

$$II = \frac{FV \text{ of CF}}{(1+r)^n}$$

[If calcnⁿ not possible, slide to NPV]

S1 FV of CF using COC or reinv rate

S2 Modified NPV

$$= PV \text{ of } \underline{\text{step 1}} - II$$

If reinv rate = COC, no diff in Normal & Modified NPV.

Find Modified NPV when reinv rate is separately given.

CF is handled

Negative CF is handled

10) Modified NPV / Terminal NPV.

Special Cases



General Rules

1. Given CF is assumed as CF before depn & tax

2. Equal CF/yr $\Rightarrow PV = CF \cdot a \times PVAF$

3. No tax \Rightarrow Depn ignored

4. Flow! - 1. II 2. Depn 3. CFAT

5. Ninja Trick No. 912 \Rightarrow Total PV in Calculator

E.g.	CF	DF @ 11.3%	PV
	60000		$60000 \div \frac{1}{1.113} = m +$
	20000		$20000 = = m +$
	10000		$10000 = = = m +$
			<u>MRC</u>

6. IRR Guesswork

- CF uniform $\Rightarrow IRR =$ Guess r
- CF ascending $\Rightarrow IRR <$ Guess r
- CF descending $\Rightarrow IRR >$ Guess r

7. Depn on SLM \Rightarrow NO STCA/STCL

Depn on NPV \Rightarrow Asset is not fully depreciated

\Rightarrow $BV \neq SV$

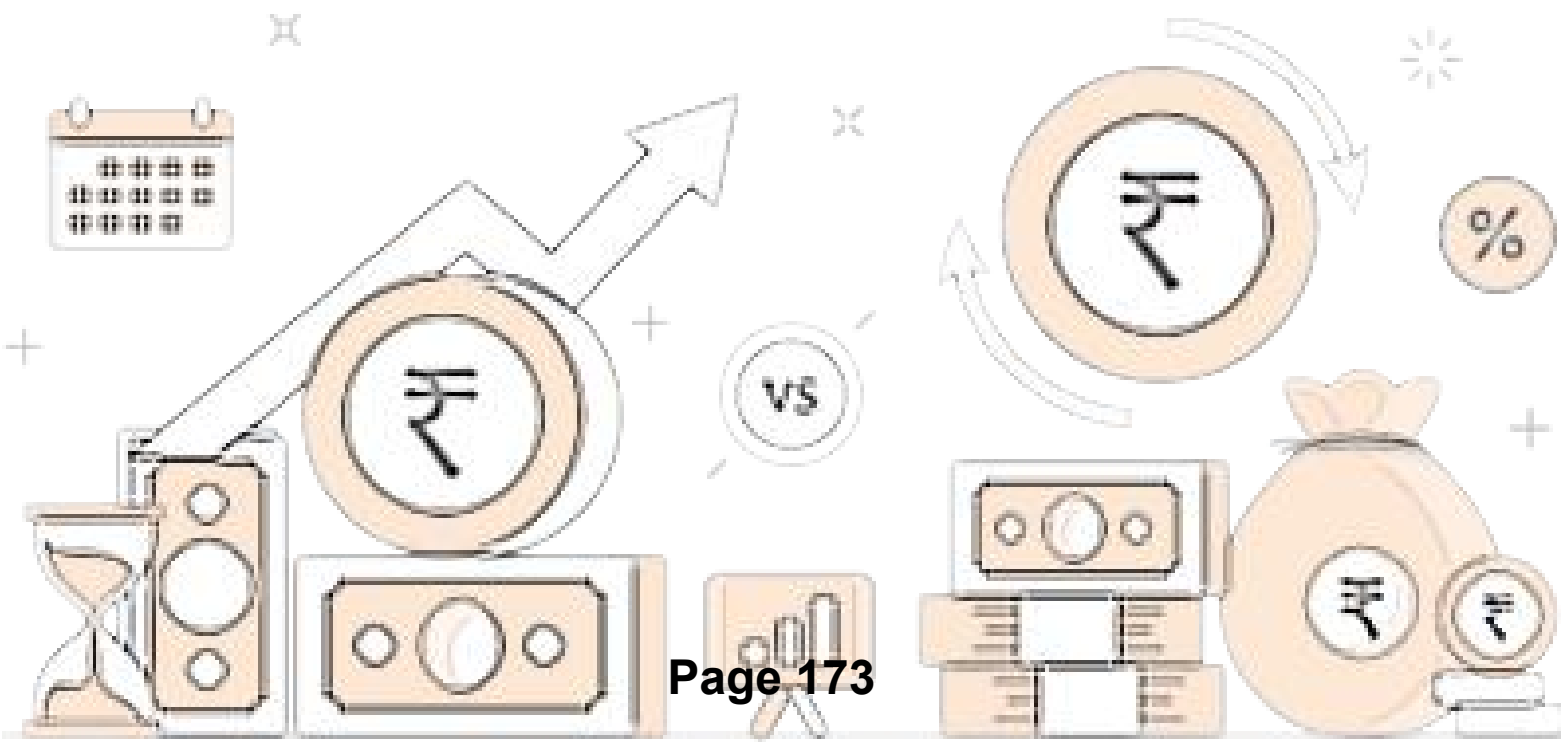
\Rightarrow Salvage $>$ BV \Rightarrow STCG \rightarrow tax impact

\Rightarrow Salvage $<$ BV \Rightarrow STCL \Rightarrow Tax savings

8. Irrelevant Costs - Sunk Cost & Committed Cost

Committed cost = allocated / apportioned / absorbed / added.

9. If no method mentioned = Use NPV



(1) When PBT is negative

For existing Cos
Set off in same yr

⇓

assume other business exist

⇓

Tax Savings or Tax Shield

in the yr of negative PBT to be taken

= [Negative PBT × tax rate]

⇓

Assume this - if nothing mentioned

No other business exist

⇓

Carry over to subsequent yr

⇓

Yr of Negative PBT ⇒ No tax

Next Yr ⇒

= (Positive PBT_{CY} - Negative PBT_{PY})

= If positive = then tax paid on such amt.

(2) Discounting factor

Hurdle rate / Minimum reqd rate of return / WACC

(3) Relationship b/w NPV & IRR

NPV

CF & I

Excess Return over WACC

IRR vs WACC

Positive PV of CF > I

Positive

IRR > WACC

Negative PV of CF $< II$

Negative

IRR $< COC$

Zero PV of CF $= II$

Nil

IRR = COC

(4) Negative CF or Non Conventional CF

- Avoid IRR - it can lead to multiple IRR
- Prefer - Modified IRR / Modified NPV

COC / Reinv rate reqd

Reinv rate $(\neq COC)$

(5) NPV vs PI

$$NPV = PV \text{ of CF} - II$$

$$PI = \frac{PV \text{ of CF}}{II}$$

$$PV \text{ of CF} = PI \times II$$

$$NPV = II \times (PI - 1)$$

(6) NPV vs IRR

High IRR may not imply High NPV

Why? 3 Reasons

(a) Timing Disparity \Rightarrow uneven CF

⇒ Diff patterns of CF
 = ascending / descending
 in one / in another

Soln: modified IRR / modified NPV

(b) Life disparity = Unequal lives

Soln: EAI or EAC

$$EAI = \frac{NPV}{AF(k_0, n_{ym})}$$

$$EAC = \frac{PV \text{ of COFAT}}{AF(k_0, n_{ym})}$$

⇒ Select higher EAI

⇒ Select lower EAC

There are CF of their respective yrs, but equalised, not the PV.

(c) Scale disparity

Qp 1: PI ⇒ more popular for Cap Rationing

Qp 2: The Approach

Inc NPV or Inc IRR using Extra II and Extra CF from a big project



If Inc NPV is positive or Inc IRR $> r_{OC}$
by project to be accepted



(7) Project IRR & Equity IRR [Q22]

Project IRR = Normal IRR (Debt + Equity)

Equity IRR \Rightarrow a) I from Eq sh holders = \checkmark
b) CFAT available to Eq sh holders

Normal CFAT \checkmark
 \rightarrow Debt Repayment $\frac{(\checkmark)}{\checkmark}$

Given or
EAI = $\frac{\text{loan}}{AF(Kd, n)}$

find IRR from above =
Equity IRR

Eq IRR $>$ Proj IRR \Rightarrow because debt financing being cheaper

(8) EAC & EAI = Projects of Unequal lives

EAC \Rightarrow Machine buy decision - no inflow is given

EAI \Rightarrow when inflow is given
 \Rightarrow highest EAI is better.

(1) Replacement Decision = Incremental Approach

- Replacing new machine by discarding old.

	Continue <u>old</u>	Replace <u>with New</u>	Increm <u> </u>
(1) <u>II</u>			

Repair Cost \checkmark
 (Cap exp)

PC of New \checkmark
 \Rightarrow SV of old \checkmark
 (Net of SICA/STCE)

(+) WC Regd \checkmark

This is also a case of scale deservinity



$a - b$

(2) Depn p.a
 (sum/wdv)

\checkmark

\checkmark

\checkmark

(3) CIFAT

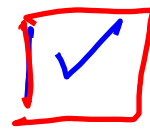
\checkmark

\checkmark

\checkmark

(if repair is
 Revenue exp)

Find Inc NPV
or
Inc IRR



If Inc NPV is positive — Replace
Inc IRR > COC — ✓

If machines are not installed yet, we may find their independent NPV.
If scale disparity is there \Rightarrow Prefer Inc NPV

Q25, Q26

Note Replacement Theory [Q27]

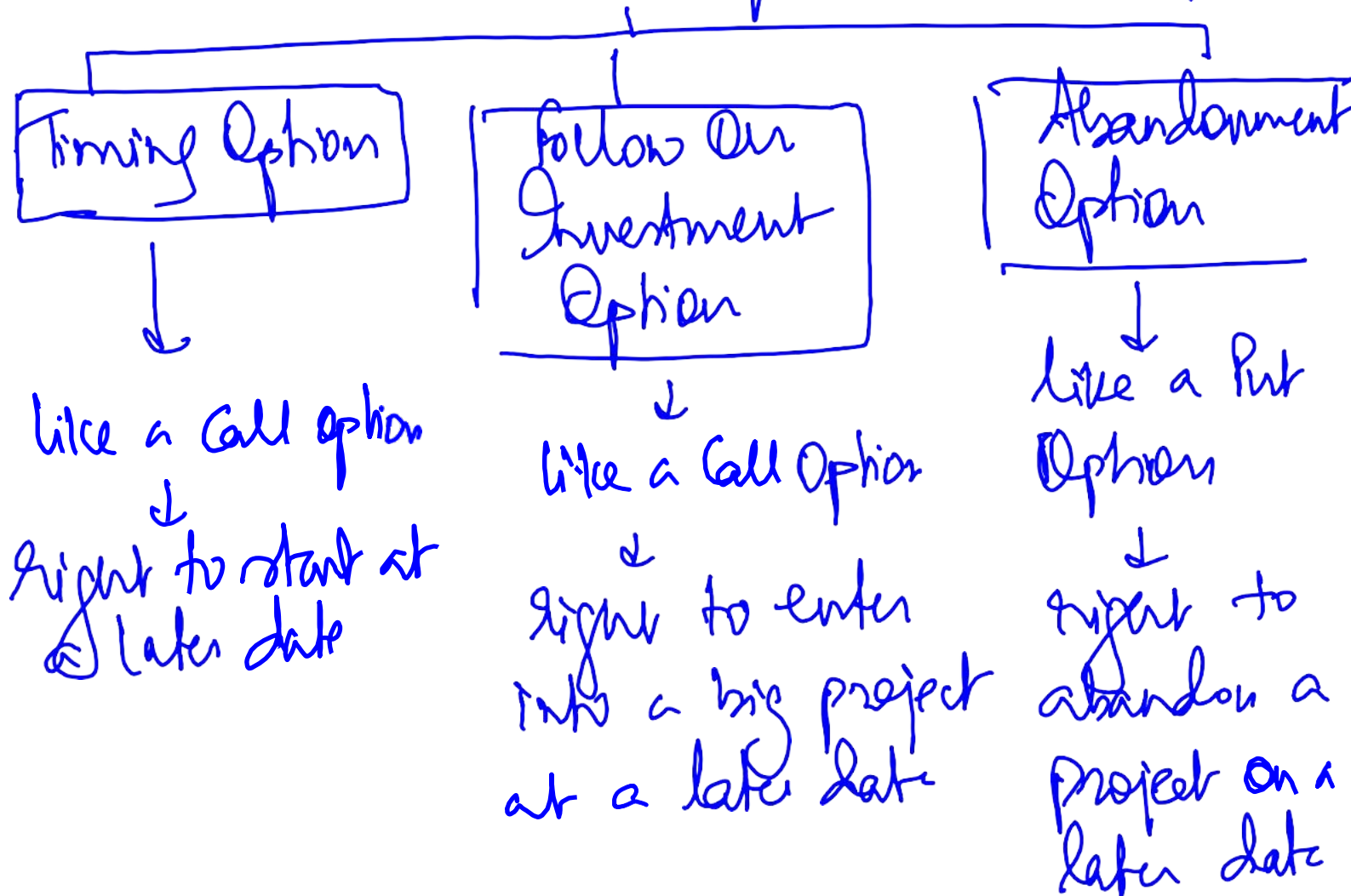
<u>Yr</u>	<u>DF</u>	PV of Running Cost	PV of Salvage value	<u>Cap locs</u> (PC - PV of SV)	<u>Cum PV of RC</u>	<u>TC</u>	<u>AF</u> <u>EAC</u>
✓	✓	✓					
✓	✓	✓					
✓	✓	✓					

(For old machine which is already installed)

- lower EAC = Optimum replacement period
- lower EAC to be compared with EAC of New machine.

(10) Abandonment Valuations

Real Option Embedded options in a project



2 Approaches

Scenario Analysis

NPV - with & without the Option

Option Pricing

Using BSM

Timing Option

Step 1 NPV if project is started now

$$E_{op} CF_{p.a} = \sum Px$$

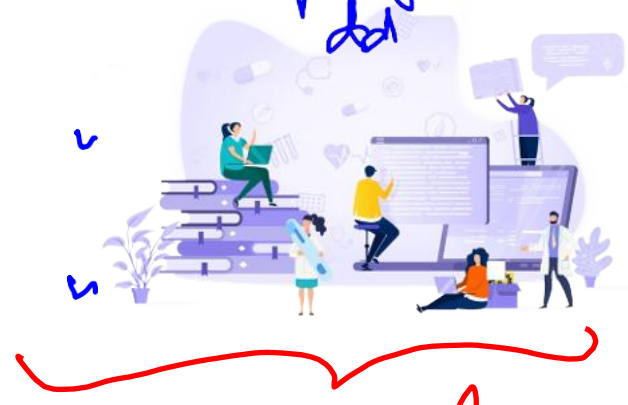
$$NPV = PV \text{ of } E_{op} CF - I I$$

Step 2 NPV if project is started after 'n' yrs

Scenario 1 : High dcl NPV = PV of CF of high dcl - I I

2 : Med dcl

3 : Low dcl



If NPV is positive, then only the timing option is exercisable.

ie. If NPV is positive, then exercise, take positive NPV
 If NPV is negative, then lapse, take NPV = 0

Expected NPV after n yrs = $\sum (NPV \times P_b)$

Expected NPV at Y₀ = $\frac{\text{Above } E_{op} NPV}{(1+r)^n}$

Step 3 - Compare Step 1 & Step 2 to decide.

② Abandonment Options

⇒ whether project should be abandoned or not?

Value of abandonment = PV of Expected Savings in CF due to abandonment

Step 1 NPV without Abandonment

- $Exp CF = \sum p_x$
- NPV using Exp CF

Step 2 Value of Abandonment Options

↓
Benefit from abandonment

Scenario 1: High dd ⇒ PV of CF if not abandoned ✓

PV of CF if abandoned ✓

If project is not abandoned,

abandonment option lapsed.

∴ value of abandonment option = 0

Scenario 2! Med dd ⇒ PV of CF if not abandoned ✓



PV of CF if abandoned ✓

If not abandoned, value of abandonment = 0

Scenario 3! Low dd ⇒ PV of CF if not abandoned ✓



PV of CF if abandoned ✓

If abandoned, (when PV of CF if abandoned is greater)

value of abandonment = Diff in PV of CF if not

abandoned & abandoned

Exp value of abandonment after n yrs

$$= \sum \text{value of abandonment} \times P_b$$

PV of Exp value of abandonment after n yrs

$$\rightarrow = \frac{\text{Exp value as above}}{(1+k_0)^n}$$

Step 3 \Rightarrow NPV with abandonment

$$= \text{Step 1} + \text{Step 2}$$

Step 4 \Rightarrow Compare Step 1 & Step 3
to decide \Rightarrow Higher is better.

If NPV is negative in both Step 1 & Step 3 \Rightarrow Project is not viable

Alternative for Abandonment Option

Step 1 NPV with Abandonment

- Same (Scenario wise)

Step 2 NPV with Abandonment

- Assume abandonment is exercised
- Find NPV with abandonment in each sitn.

• Compare NPV with abandonment & NPV without abandonment for each scenario -

- Select the one jisme NPV jyada hai

• Exp NPV from favourable NPS
 $= \sum_{\text{fav.}} NPV \times P_b$

Step 3

Value of Abandonment

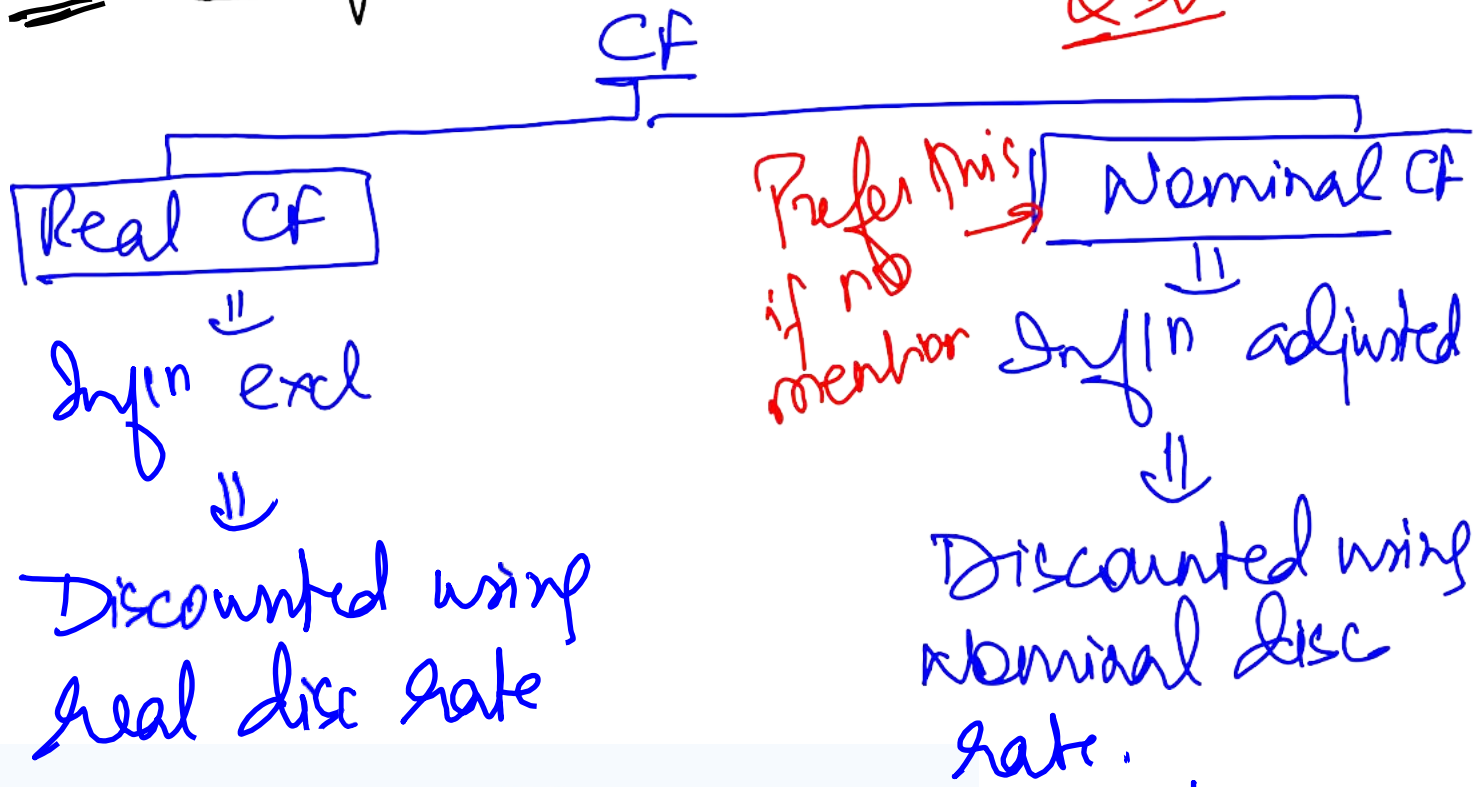
= Step 2 - Step 1

[Q28]

(11) Modified Accelerated Cost Recovery System

- ⇒ Early write off of Purch Cost through add depn, as applicable
- ⇒ No other impact

(12) Inflation Adjusted Cash Flow



The answer of NPV is same ↓

$$\text{Nominal CF} = \text{Real CF} (1 + \text{Infl}^n)^n$$



QRS - amount given of is nominal.

(13) Capital Rationing

Divisible Projects

↓
part investment is added

↓
Step 1 P.I. of each project

Step 2 Ranking of projects using P.I.

Step 3 Allocn of available Capital on the basis of Rank

↓
Last project can be given remaining amt & proportionate NPV

Indivisible Projects

↓
part investment not added.

↓
full / reject

↓
Create several combinations & select where NPV is maxim
um

↓
Ignore the combinations that exceeds the total capital available.

is taken from it.

Cost of idle money may be given.

Q33

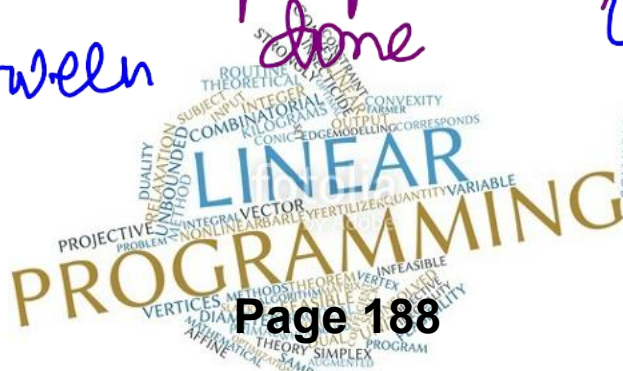
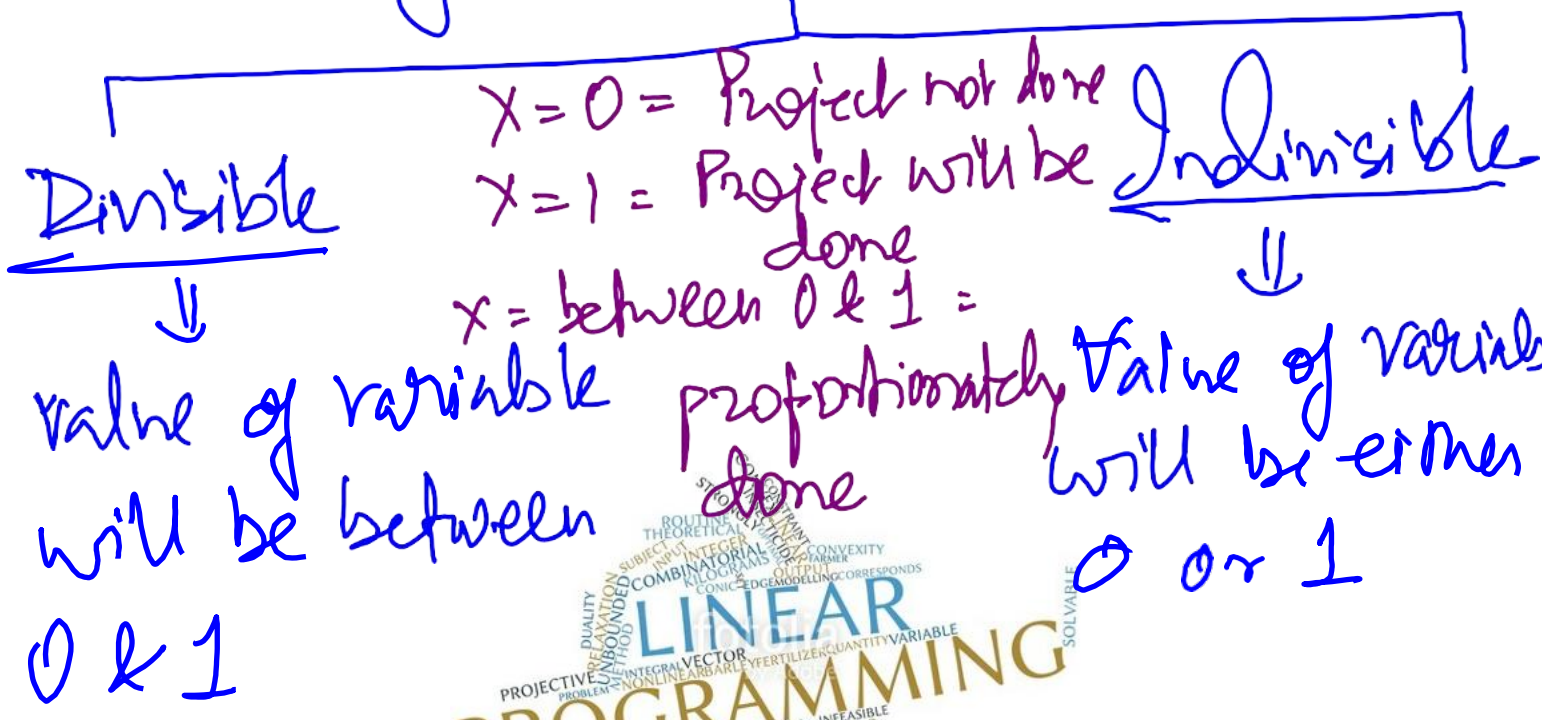
Benefit cost ←
 $R_{aid} = 90\%$
 \therefore Cost of idle money = 10%

Adjust its cost with NPV.

QRS \Rightarrow prefer indivisible

Using Linear Programming

Integer Linear Programming \Rightarrow
 value of variable \Rightarrow only 0 or 1



If γ wise fund limits are given,
use LP approach.

If a project is delayed \Rightarrow new variable reqd
(x_1, x_2)

If two projects are complementary \Rightarrow new variable reqd (x_3)

If two projects cannot be done together $\Rightarrow x_1 + x_2 \leq 1$
 $\Rightarrow x_1 + x_2 + x_3 \leq 1$

If a project cannot be accepted unless two other projects are accepted $\Rightarrow x_2 + x_4 \geq 2x_7$
(x_2, x_4)
or $2x_7 \leq x_2 + x_4$

[Q35]

[Q43, Q44]



Liked our efforts?

**The fees that you may pay to us is
your REFERENCE.**

**Please refer your friends or family to
take all classes of CA/CMA only from
SJC Institute.**

Thank You.